

Motivation and research questions

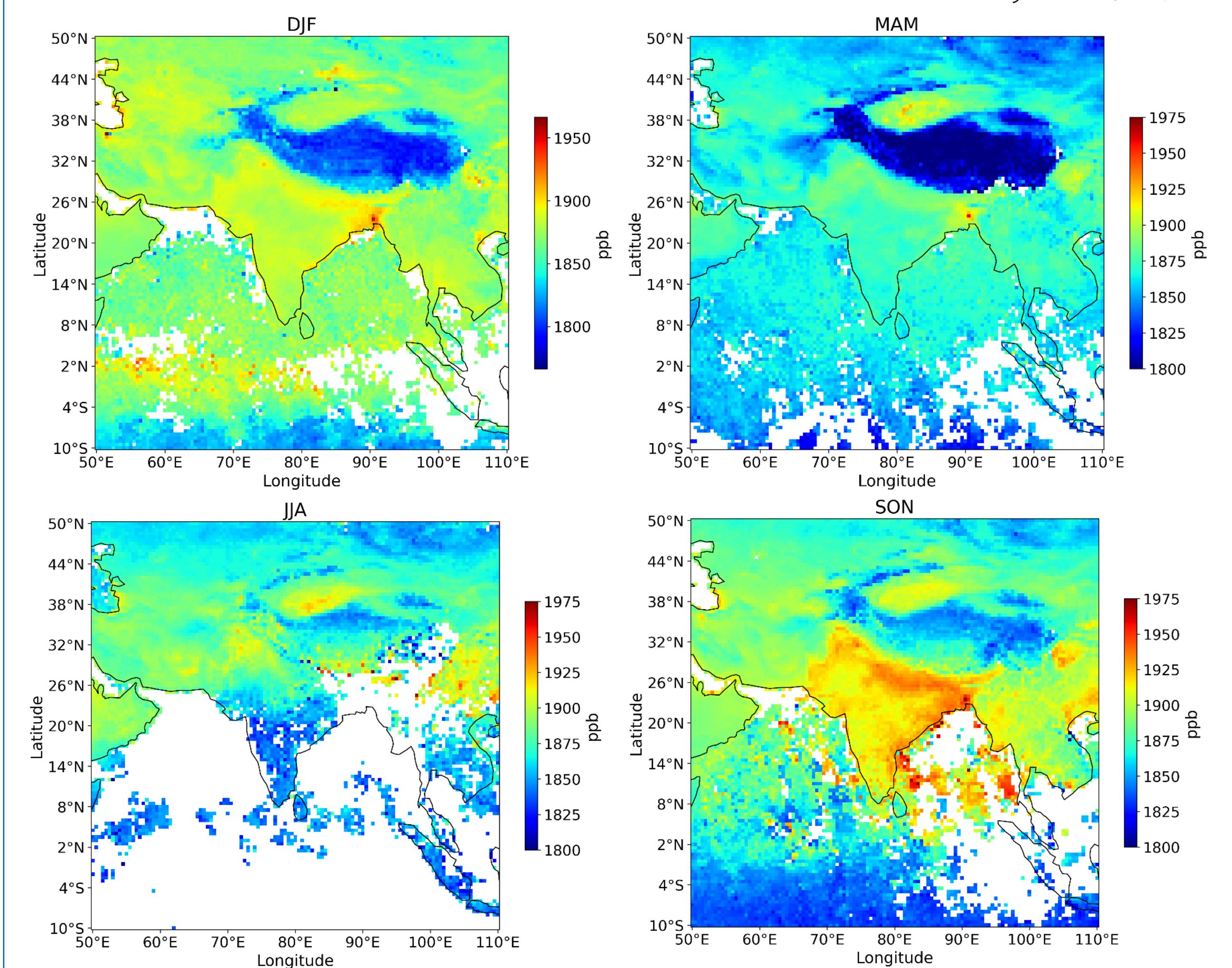
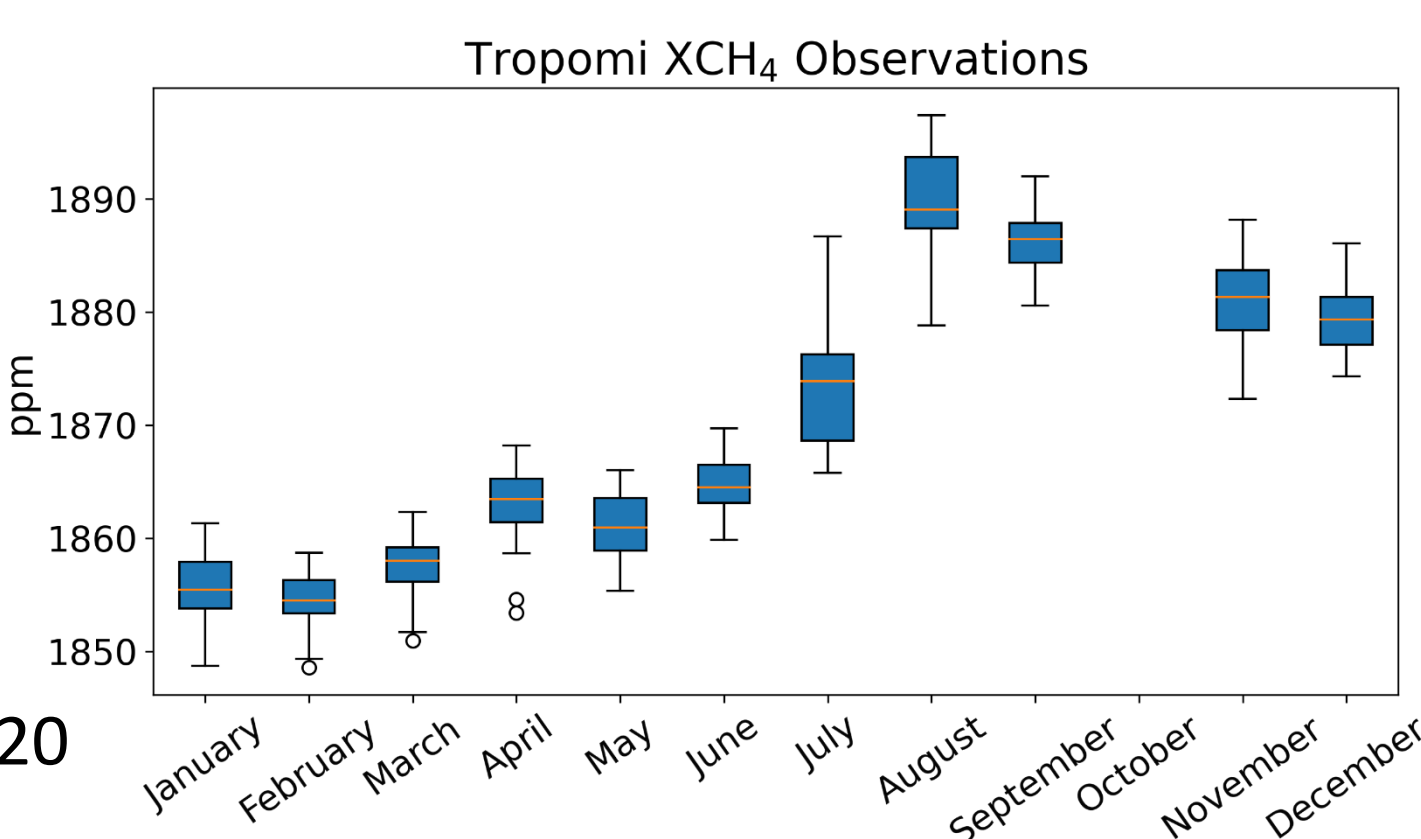
Despite various efforts to reduce methane emissions, their global levels have continued to rise in recent years, and the exact causes of the increase are not very well understood. The scarceness of surface network of observation stations make it very challenging to estimate the methane fluxes, especially for regions like Indian subcontinent. The major objectives for this study is as follows:

1. Use the high resolution, wide-area observations from the Tropomi instrument to study the CH₄ distribution over Indian subcontinent.
2. Estimate the enhancements in CH₄ concentrations due to emissions.
3. Quantify the CH₄ fluxes and the concentrations through inverse modeling using the constraint provided by the Tropomi column observations.

Tropomi Column Observations^[1]

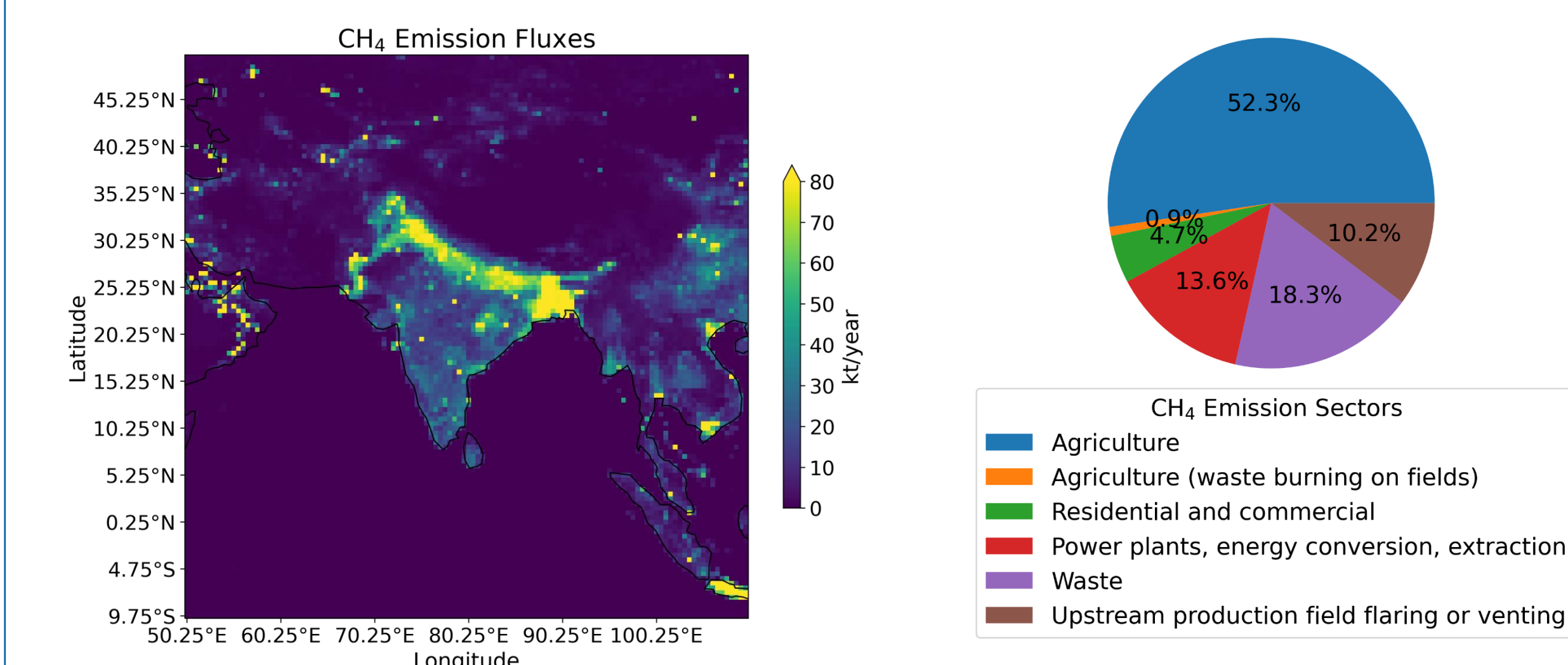
- Orbiting in a low-earth sun synchronous polar orbit with a swath of 2600 km.
- Gives a daily global coverage at a spatial resolution of 7x7 km²

Bottom fig. shows the seasonal mean XCH₄ concentrations for 2020



Prior Methane Emissions

The a-priori emissions of methane fluxes are taken from Eclipse Inventory of IIASA available at a resolution of 0.5x0.5 degrees.



Using Satellite Column Observations Towards Constraining the GHG Budget over India

Rakesh S¹, Rona Thompson², Martin Vojta¹ and Andreas Stohl¹

- 1) Institut für Meteorologie und Geophysik, Universität Wien, Vienna, Austria
- 2) Norwegian Institute for Air Research, Kjeller, Norway

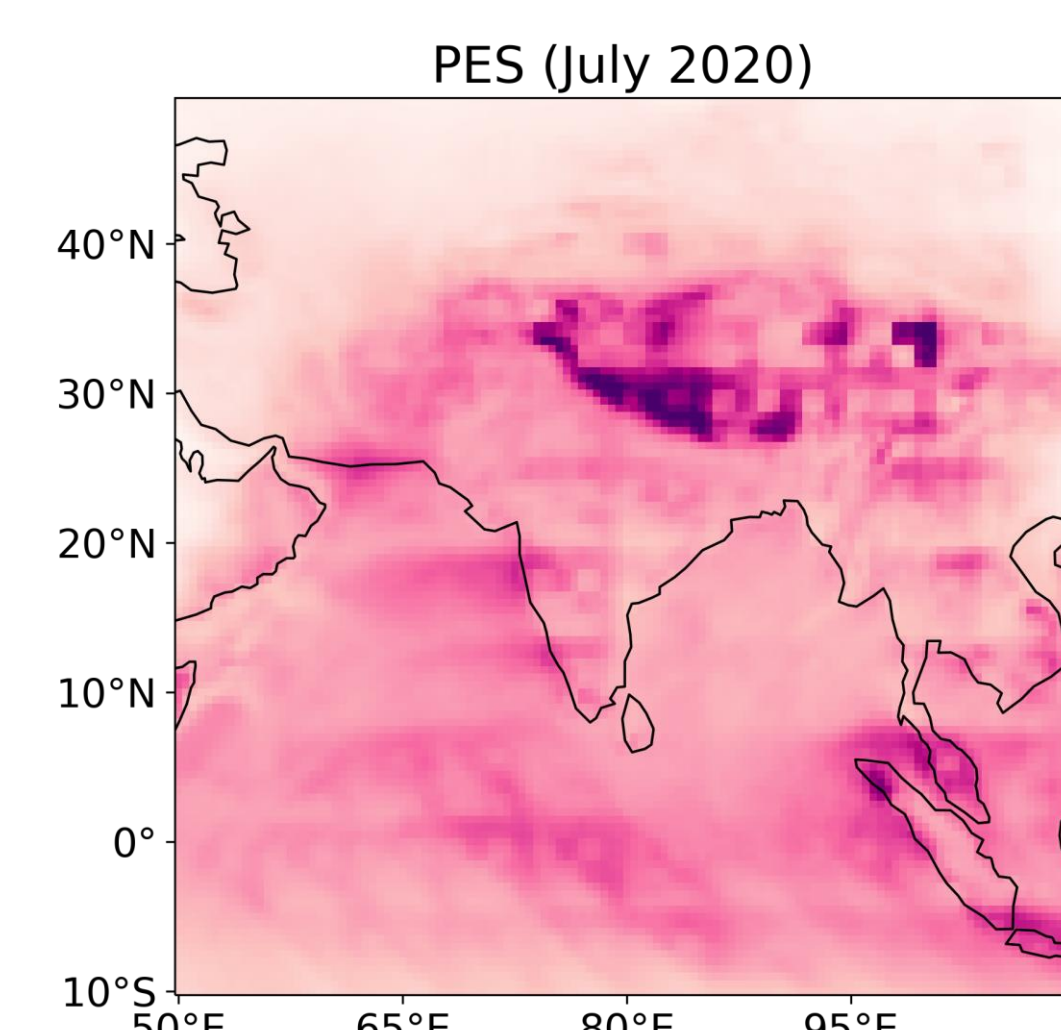
Methodology

Lagrangian model: Flexpart^[2]

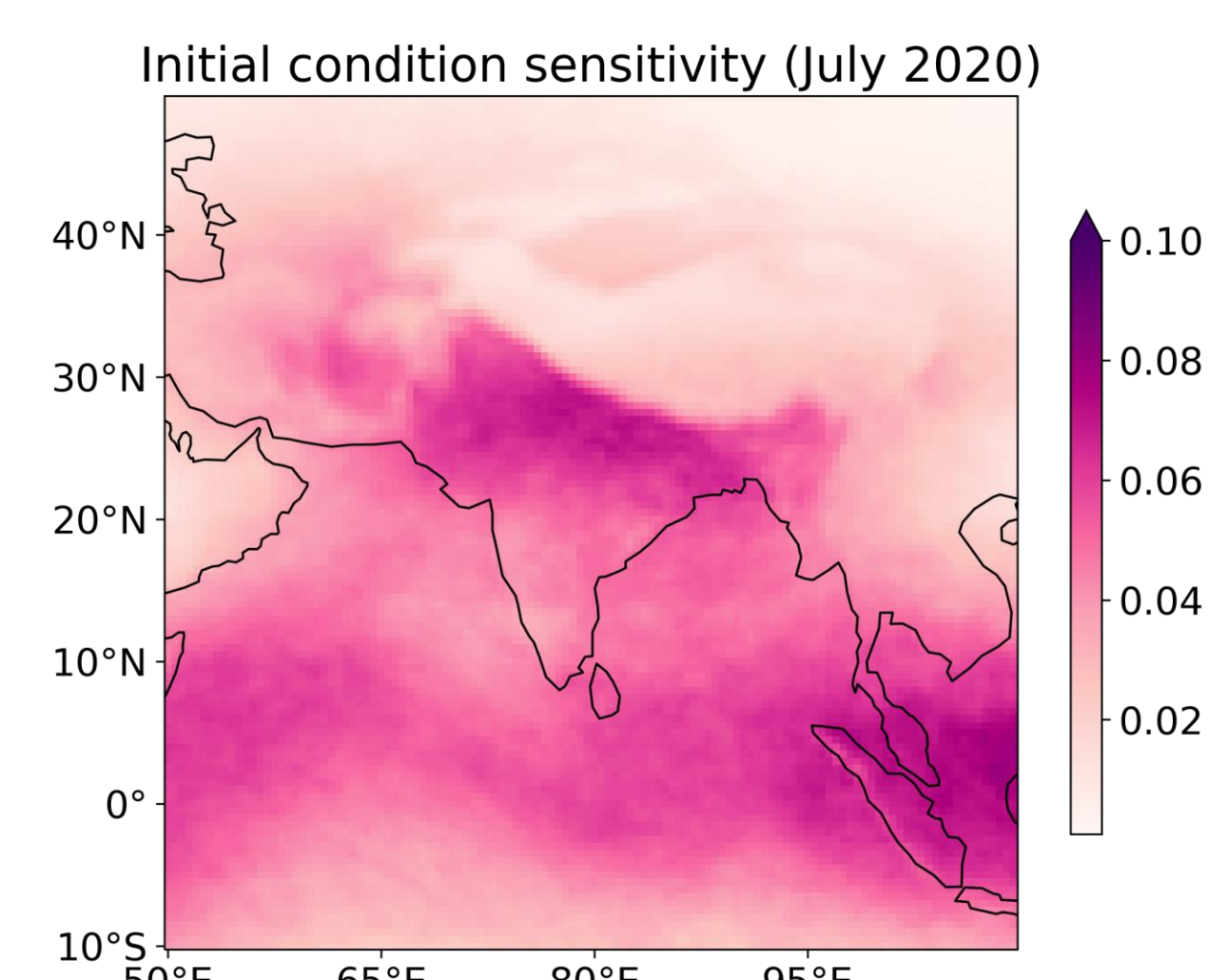
- Meteorology from ERA5 at 0.5 degree resolution
- Number of particles released: 10,000 (linearly decreases with height)
- Traced backward for 4 days

Computes:

- Initial Condition Sensitivity (Hⁱⁿⁱ)
- Potential Emission Sensitivity^[3] (H)



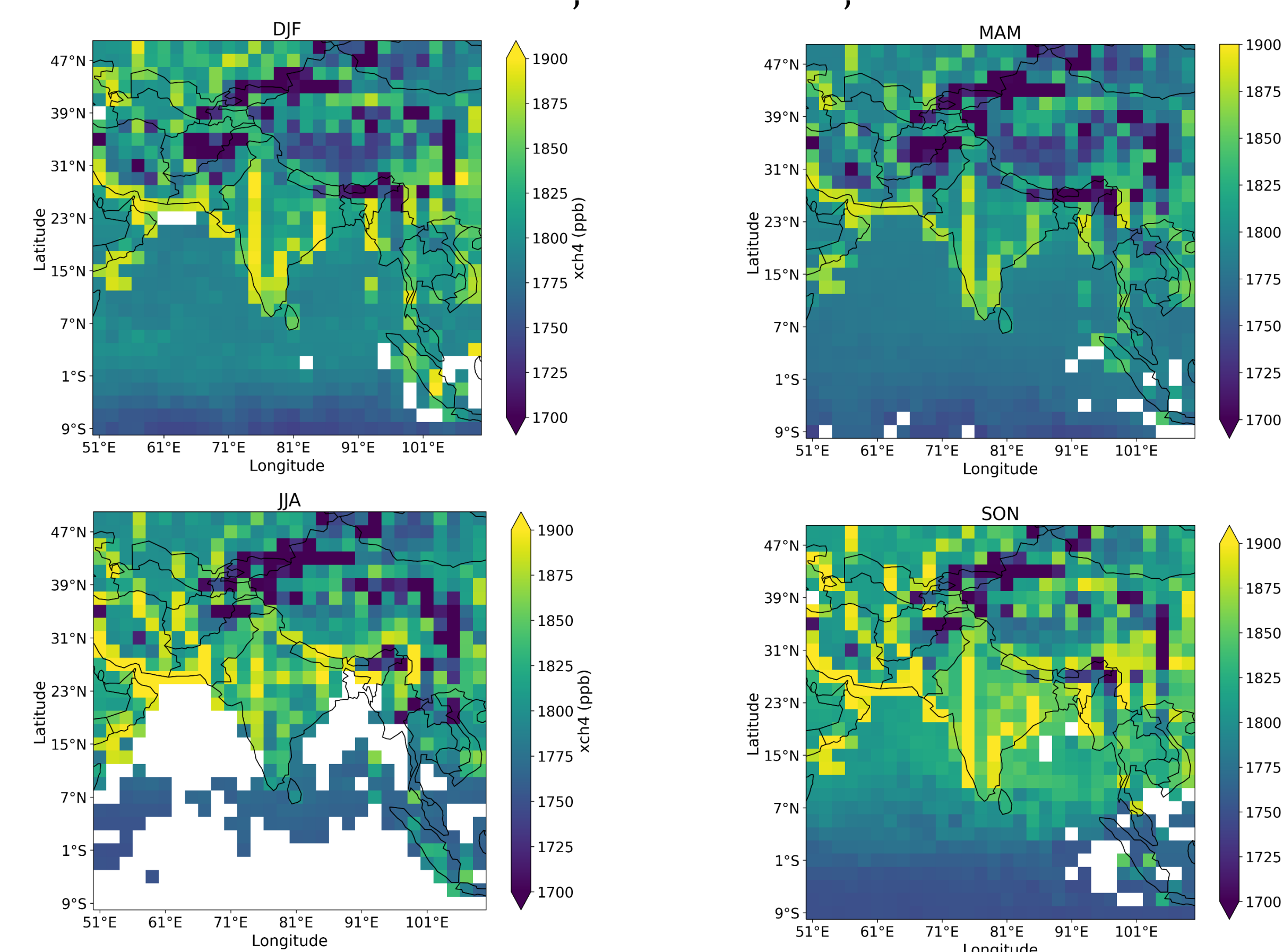
- Initial Condition Sensitivity (Hⁱⁿⁱ)



$$\text{Model Concentration: } y_{\text{model}} = Hx_b + H^{\text{ini}}y^{\text{ini}}$$

Background mole fractions (X_{CAMS})

$$X_{\text{cams}} = \sum_i^n [X_{\text{apriori}} + a_i (X_{\text{model}, i} - X_{\text{apriori}, i})] P_i$$



Summary and Remarks

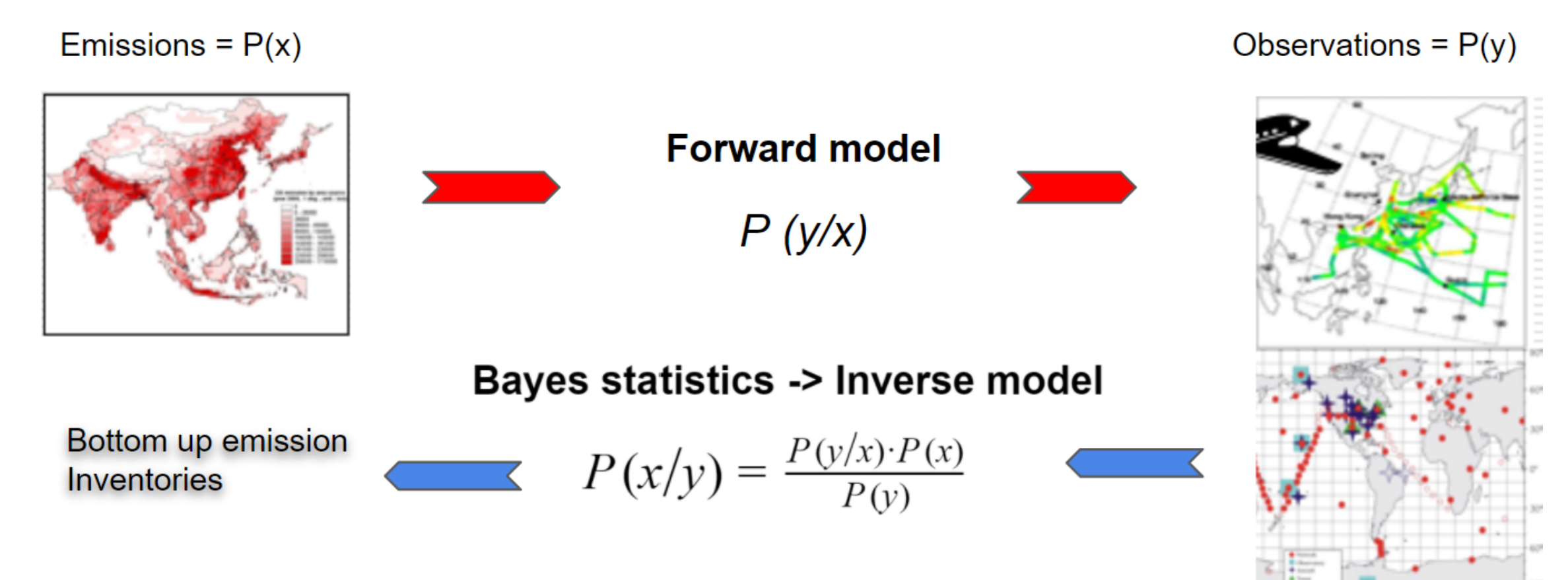
1. CH₄ concentrations are higher over north-eastern and eastern parts of India as seen from the column observations.
2. The methane concentrations are higher towards the post-monsoon and winter seasons
3. Agriculture sector contributes the major source of methane fluxes.
4. The higher CH₄ fluxes over Indo-Gangetic Plain and Bangladesh are primarily due to the rice cultivation^[4].
5. The Lagrangian model simulations shows higher sensitivities over the north-eastern parts of India implying the particles reside longer over these area (on July)
6. Column CH₄ mole fractions derived from CAMS (X_{cams}) is biased low on comparison with the Tropomi column mole fractions

Future Work/ Inverse Modeling

Theory

- Bayesian Approach of Inverse Modeling

Assuming normal distribution of emissions and the errors associated, the Bayesian estimate of the true state is the one that maximizes the posterior probability.



Cost function^[5]

$$J(x) = (x - x_b)^T B^{-1} (x - x_b) + (y_o - Hx)^T R^{-1} (y_o - Hx)$$

Posterior

$$x_a = x_b + (B^{-1} + H^T R^{-1} H)^{-1} H^T R^{-1} (y_o - y)$$

For Satellites

$$v^{avg} = v^{pri, avg} + \sum_{i=1}^n a_i (v_i^{mod} - v_i^{pri})$$

$$v^{avg} = v^{pri, avg} - \sum_{i=1}^n a_i v_i^{pri} + H^{col} f + H^{ini, col} y^{ini}$$

- v^{avg} is the total column concentration
- v^{pri, avg} is the prior concentration
- a_i is the averaging kernel at layer i
- v_i^{mod} is the model concentration at layer i
- v_i^{pri} is the prior concentration at layer i
- n is the number of layers
- H^{col} is the sensitivity to fluxes
- H^{ini, col} is the sensitivity to background
- yⁱⁿⁱ is the background concentration

References

1. J.P. Veefkind et.al (2012), TROPOMI on the ESA Sentinel-5 Precursor: A GMES mission for global observations of the atmospheric composition for climate, air quality and ozone layer applications, Remote Sensing of Environment, 120, 70-83
2. A. Stohl et.al (1998), Validation of the lagrangian particle dispersion model FLEXPART against large-scale tracer experiment data, Atmospheric Environment, 32, 4245-4264
3. P. Seibert and A. Frank (2014), Source-receptor matrix calculation with a Lagrangian particle dispersion model in backward mode, Atmospheric Chemistry and Physics, 4, 51-63
4. Xu et.al (2018), Evaluation of One-Class Support Vector Classification for Mapping the Paddy Rice Planting Area in Jiangsu Province of China from Landsat 8 OLI Imagery, 10, 546
5. Tarantola (2005), Inverse Problem Theory and Methods for Model Parameter Estimation, Society for Industrial and Applied Mathematics, Philadelphia, PA, USA